The Impact of different Radio Occultation Constellations on NWP and Climate Monitoring

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IROWG-4 workshop



Some project details

- 18 month project financed by EUMETSAT
- Objectives:
 - Follow on the "Saturation Study" (F. Harnisch, 2012, random distribution of RO observations) taking into account realistic future satellite orbits (→ realistic RO distribution)
 - Assess best observation constellations to achieve best RO observation distribution in space and time (→ optimal data distribution)
 - Provide guidance on RO instrument deployments on future LEO satellites (→ e.g. COSMIC-2 Polar)
- Ensemble of Data Assimilations (EDA) impact assessment of simulated RO observations: 11 observation distribution *scenarios* committed; only the results of a few scenarios will be shown here.
 More detail will be given at final report on June 30 @EUMETSAT.



METHODOLOGY: ENSEMBLE OF DATA ASSIMILATIONS (EDA)



The EDA method (1)

- Goal: derive information on the analysis and short-term forecast error statistics (<u>uncertainties</u>) of the NWP model system
- Account properly for the main analysis error sources in the NWP system that come from the:

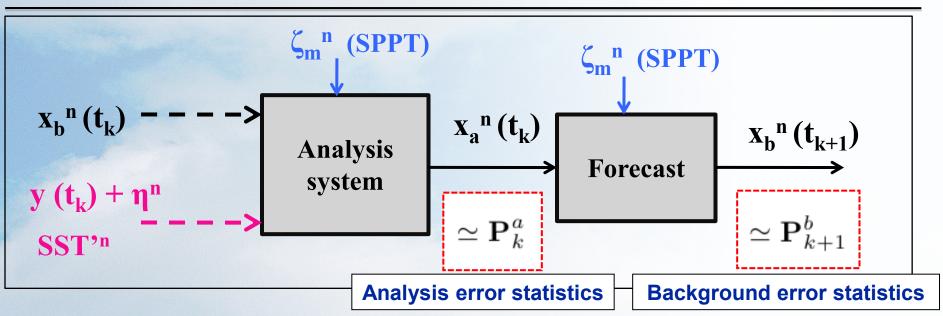
(1) observations, (2) model background and (3) model

- Run an ensemble of independent 4D-Var data assimilation cycles
 - → ensemble of analyses and forecasts provides information on analysis and forecast error statistics

(This is a well established method primarily used for data assimilation; see for instance Žagar et al. 2005; Isaksen et al. 2010, Bonavita et al. 2010, 2012)



The EDA method (2)



Cycle of 10 4D-Var data assimilations in parallel using

- perturbed observations $\eta \sim \mathcal{N}\left(0, \mathbf{R}\right)$
- perturbed model physics (SPPT scheme) $\zeta \sim \mathcal{N}\left(0, \mathbf{Q}\right)$
- assuming that $\overline{arepsilon_{b}^{k-1}\left(arepsilon_{b}^{k-1}
 ight)^{T}}=\mathbf{P}_{k-1}^{b}$

→ gives an ensemble estimate of the error statistics of the analysis and short-range forecast

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The EDA method – EDA spread \rightarrow impact

 The <u>spread</u> of the ensemble around the mean estimates the <u>error variance of the analysis and short-range forecast</u>

• The spread *s* (variance) of *N*-member ensemble for EDA experiments: *for a given time d*

$$s_d = \sqrt{\sigma_d^2} = \sqrt{\frac{1}{N-1} \sum_{n=1}^N (x^n - \overline{x})^2}$$

for a period D (after spin up)

$$s = \sqrt{\mathbb{E}\left[\sigma_d^2\right]} = \sqrt{\frac{1}{D}\sum_{d=1}^D \left(\frac{1}{N-1}\sum_{n=1}^N \left(x^n - \overline{x}\right)^2\right)}$$

EDA method: investigate how the EDA spread (the estimated variance of the analysis and forecast error PDF) is changing when additional observations are used → observation impact

Florian Harnisch



The EDA method: interpretation of EDA spread

Estimates the analysis (forecast) uncertainty, which is related to the error statistics and not the error itself.

Depends on the <u>assumed input error statistics</u> and not the actual ones (\rightarrow R, B, Q)

 \mathbf{P}_k^a & \mathbf{P}_{k+1}^b

Provides realistic estimate of uncertainty *if, and only if,* the assumed input error statistics are realistic.



Comparing EDA approach and OSSEs

OSSEs: simulate all observations from a known truth the <u>nature run</u>.

- The simulated observations are assimilated into an NWP system, and individual analysis and/or forecast errors, ε, can computed because the truth is known.
- The statistics of the analysis/forecast errors can be computed by averaging errors, ε, over the experiment.
- EDA: We estimate the analysis and forecast error covariance matrices - not the forecast errors - based on the assumed observation/model error statistics.
- Compare with old 1D-Var information content studies.



Compare with 1D-Var information content

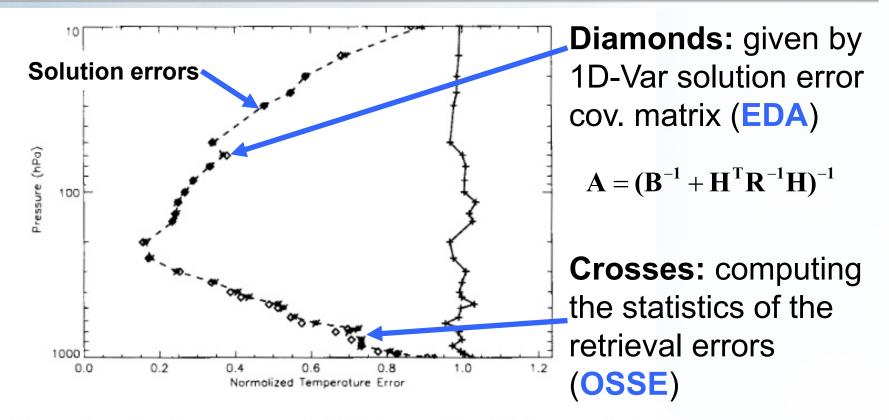


Figure 2. The normalized retrieved temperature errors (dashed line) calculated from 1000 simulated retrievals for (a) profile 1, (b) profile 2, (c) profile 3, and (d) profile 4 (see text). The normalized background errors (solid line) and theoretical error estimates derived from a solution covariance matrix (diamonds) are also shown for comparison in each case.

(Healy and Eyre, 2000)

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OBSERVATION PRE-PROCESSING (SIMULATION OF OBSERVATIONS)





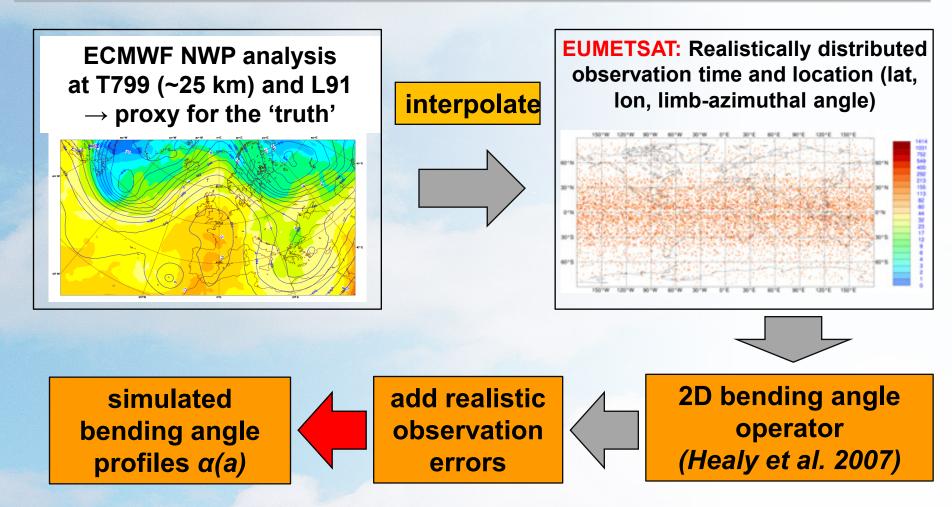
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- The EDA spread is computed from the <u>00 and 12 UTC</u> <u>analyses.</u>
- Mostly temperature spread is presented since the largest impact is in temperature
- Spread vertical profiles are plotted
- Time period for averaging: days July 11-25, 2008.
- Regions for averaging: NH extra-tropics (N20-N90), SH extra-tropics (S90-S20), tropics (S20-N20)



Simulation of GNSS RO observations



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bending angles on 247 fixed impact heights $h(a - R_c)$ similar to operationally used GRAS data

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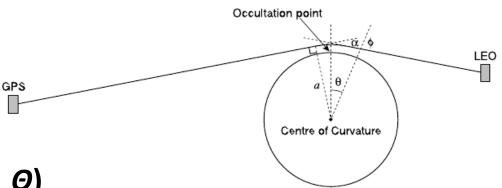
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Simulation of GNSS RO observations

<u>2-D bending angle operator</u>

- calculate the ray-path (r, Θ) and bending angle α by solving a set of differential equations (4-th order Runge-Kutta)
- Change in bending angle α along this ray-path
- Included in ROM SAF ROPP package. Also used in OSSEs.



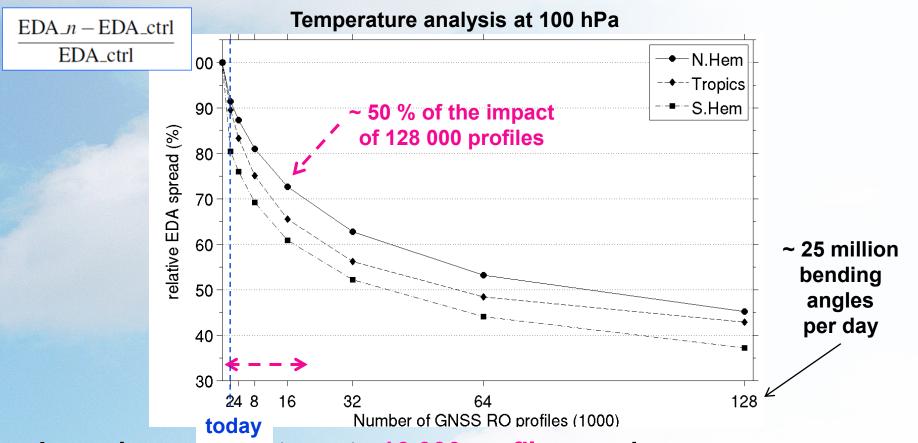
$$\frac{dr}{ds} = \cos\phi$$
$$\frac{d\theta}{ds} = \frac{\sin\phi}{r}$$
$$\frac{d\phi}{ds} = -\sin\phi \left[\frac{1}{r} + \frac{1}{n}\left(\frac{\partial n}{\partial r}\right)_{\theta}\right] + \frac{\cos\phi}{nr}\left(\frac{\partial n}{\partial \theta}\right)_{r}$$
$$\frac{d\alpha}{ds} = -\frac{\sin\phi}{n}\left(\frac{\partial n}{\partial r}\right)_{\theta} + \frac{\cos\phi}{nr}\left(\frac{\partial n}{\partial \theta}\right)_{r}$$

MAIN RESULTS OF THE "SATURATION STUDY" (REMINDER)



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Scaling of GNSS RO impact (F. Harnisch)



- Large improvements up to 16 000 profiles per day
- Even with 32 000 128 000 profiles still improvements possible

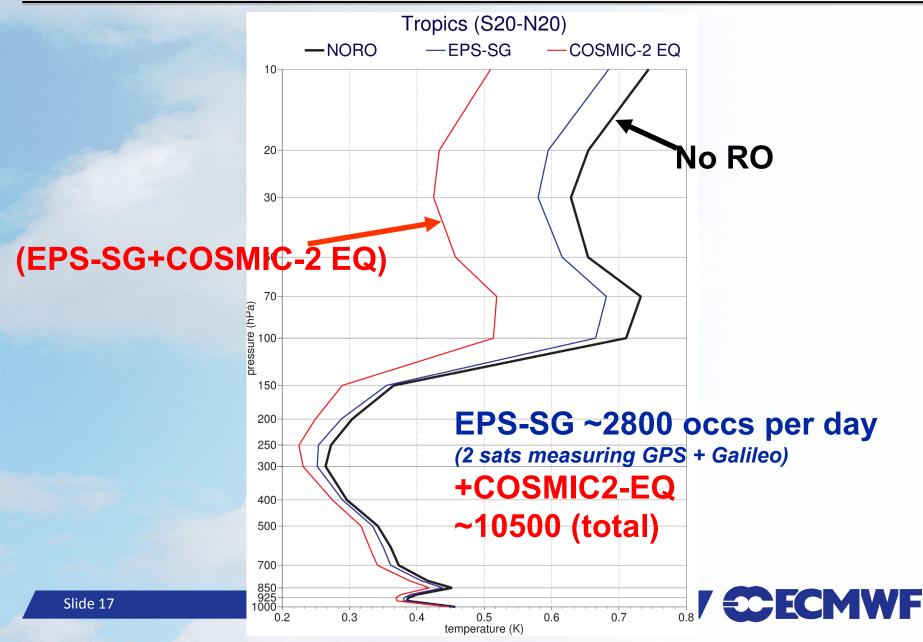
 \rightarrow no evidence of saturated impact up to 128 000 profiles (although the additional impact per observation is decreasing)

RESULTS: COSMIC-2

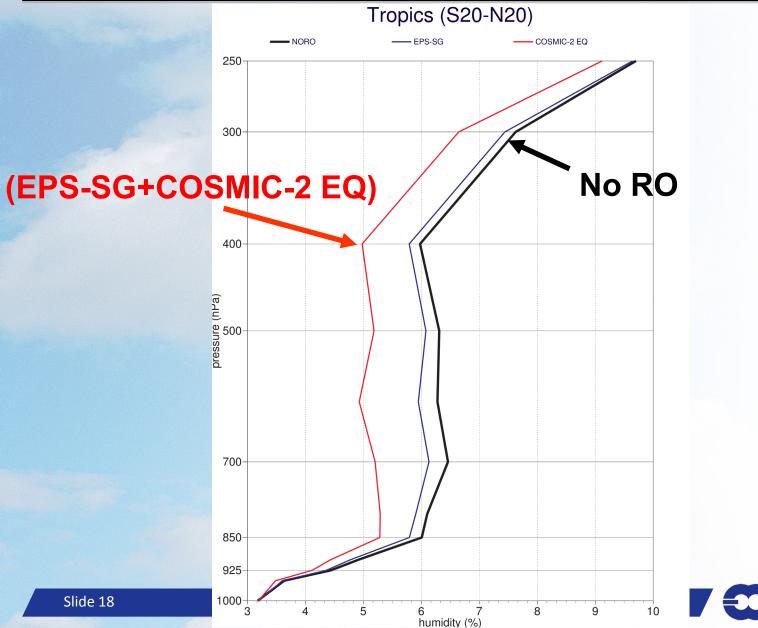


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The impact of COSMIC-2 Equator (tropics) -TEMPERATURE

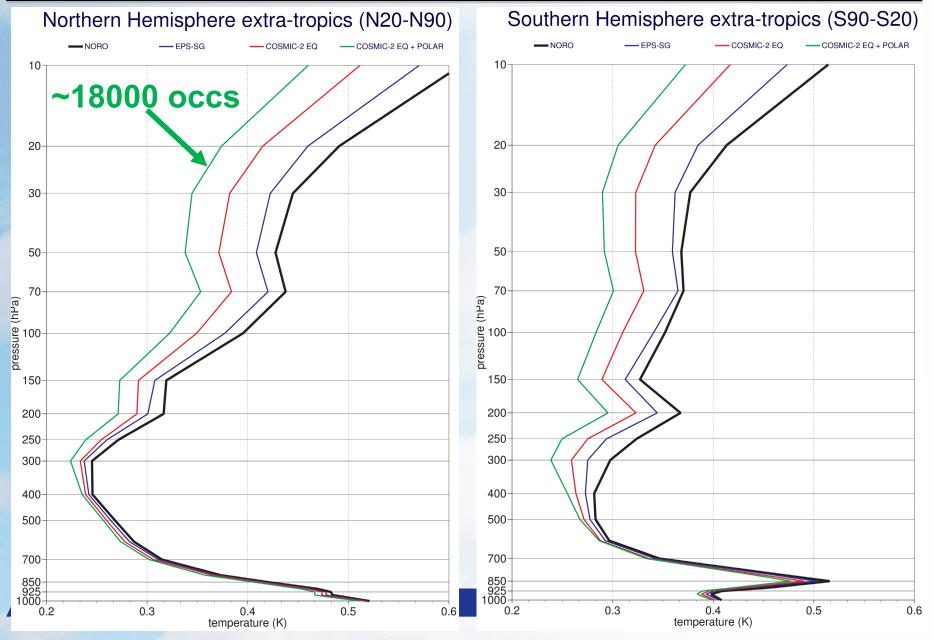


The impact of COSMIC-2 Equator (tropics) – RELATIVE HUMIDITY

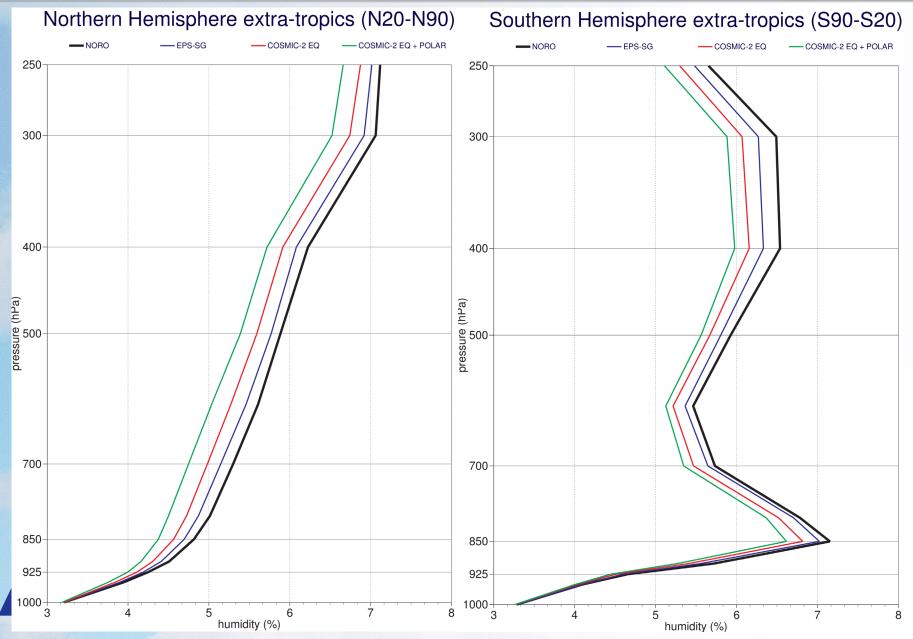




COSMIC-2 Polar + (EPS-SG +COS2-EQ, extratropics) - TEMPERATURE



COSMIC-2 Polar + (EPS-SG +COS2-EQ; extratropics) – RELATIVE HUMIDITY

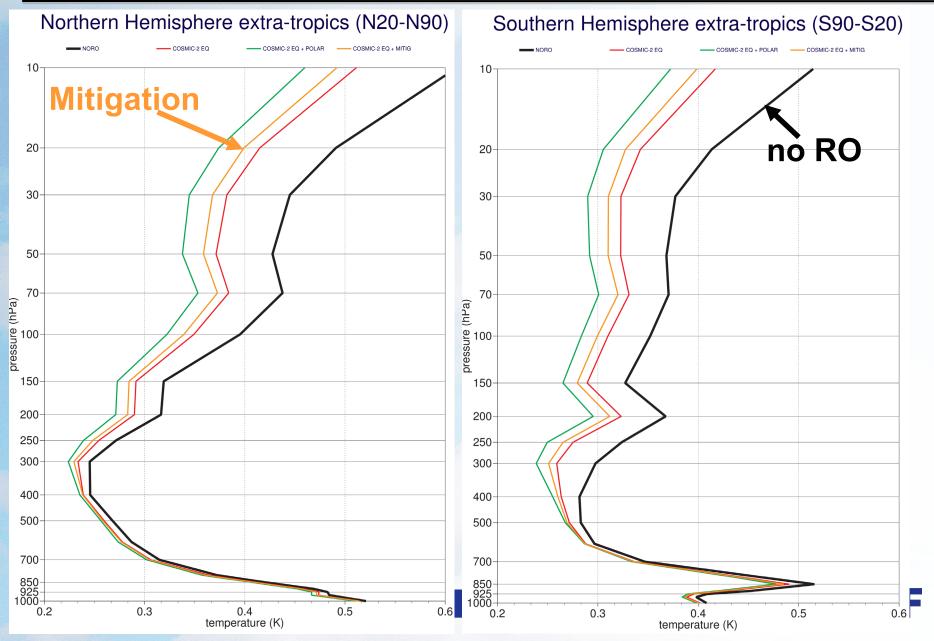


Can 4 sun-synchronous RO satellites compensate for the loss of COSMIC2 Polar? COSMIC-2 EQ + EPS-SG + RO night + RO Early Morn (~13300 per day)



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The possible mitigation of the lack of COSMIC-2 Polar (extra-tropics)



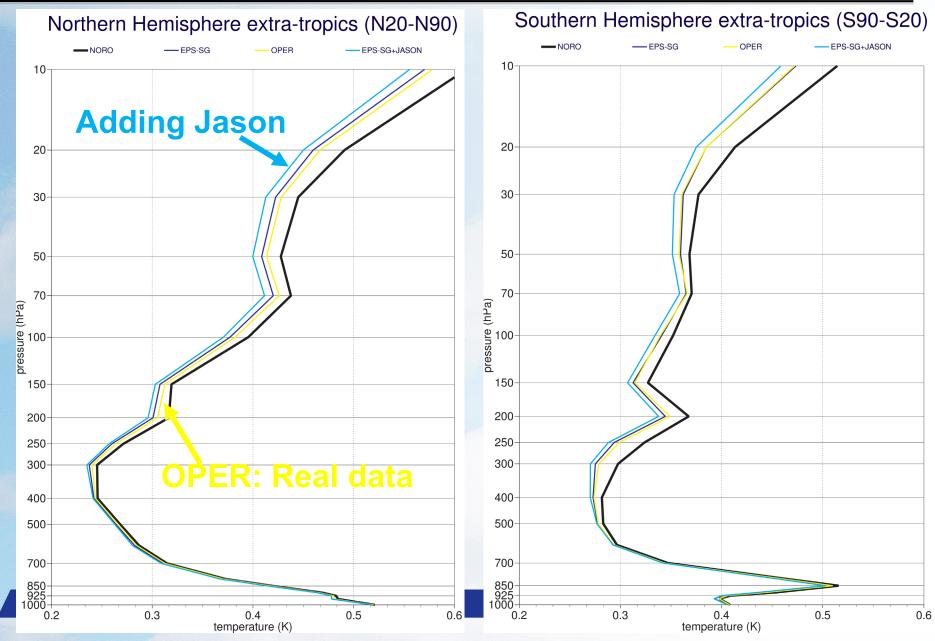
RESULTS: JASON

(Provides about ~1000 per day)

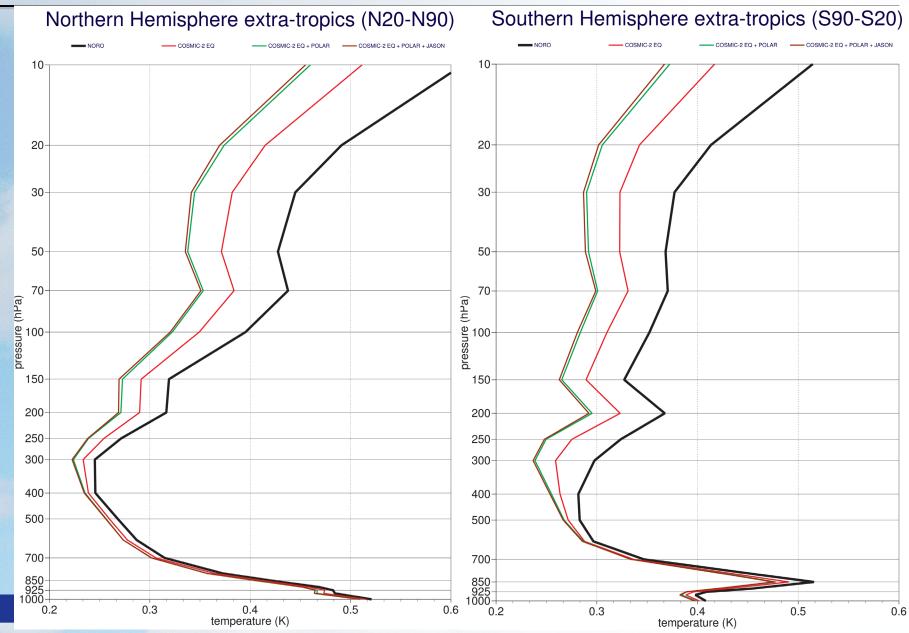


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JASON with respect to EPS-SG and OPER (extra-tropics)



Adding JASON to COSMIC-2 (EQ+POL) +EPS-SG



SUMMARY, CONCLUSIONS





Summary

- EDA approach has been outlined and differences with respect to OSSEs have been noted.
- Investigated 2000-19000 observations per day. EDA spread values are determined mainly by observation numbers, rather than orbits etc.
- We can quantify impact of both COSMIC-2 EQ and COSMIC-2 polar relative EPS-SG.
- 4 sun-synchronous RO satellites cannot compensate for the loss of COSMIC-2 Polar.
- Jason-CS and EPS-SG together has greater impact than the current operational data.

- Jason-CS is particularly important in the absence of COSMIC-2 polar Slide 27 © ECMWF

Working groups

- I have not looked at the new COSMIC-1 data. I would appreciate the NWP sub-group group to give a view on:
 - NWP impact
 - if the change should be made, do we need more time,
- Status of COSMIC-2 Polar.
- Recommend New Project to CGMS: to compare EDA approach with OSSE approach?
- I'm still unsure whether we need refractivity measurements.
- Space weather/NWP: Convergence of observation operators. 2D neutral bending angle operators and slant TEC operator have many similarities.
 Opportunities to work together.

